

## Basic angle rules and notation R

**Acute Angles**  
 $0^\circ < \text{angle} < 90^\circ$

**Right Angles**  
 $90^\circ$

**Obtuse**  
 $90^\circ < \text{angle} < 180^\circ$

**Reflex**  
 $180^\circ < \text{angle} < 360^\circ$

**Straight Line**  
 $180^\circ$

Right angle notation

The letter in the middle is the angle  
 The arc represents the part of the angle

**Angle Notation:** three letters **ABC**  
 This is the angle at  $B = 113^\circ$

**Line Notation:** two letters **EC**  
 The line that joins E to C.

**Vertically opposite angles**  
 Equal

**Angles around a point**  
 $360^\circ$

## Sum of angles at a point

The sum of angles around a point is  $360^\circ$

Find angle BOE

$90^\circ + 33^\circ + 92^\circ = 205^\circ$   
 $360^\circ - 205^\circ$   
**BOE =  $155^\circ$**

Angle notation -  $90^\circ$

Angle notation - find this missing angle

$360^\circ - 67^\circ = 293^\circ$

## Vertically opposite angles

Angle JNM is vertically opposite to angle KNL

$JNM = KNL$

**Vertically opposite angles are the same**

## Alternate/ Corresponding angles

Because alternate angles are equal the highlighted angles are the same size

Because corresponding angles are equal the highlighted angles are the same size

## Co-interior angles

Because co-interior angles have a sum of  $180^\circ$  the highlighted angle is  $110^\circ$

As angles on a line add up to  $180^\circ$  co-interior angles can also be calculated from applying alternate/ corresponding rules first

## Angle notation R

The letter in the middle is the angle  
 The arc represents the part of the angle

**Angle Notation:** three letters **ABC** This is the angle at  $B = 113^\circ$

$\angle ABC$  is also used to represent the angle at B.

## Measure angles to $180^\circ$ R

This is the angle being measured

The base line follows the line segment

Make sure the cross is at the point the two lines meet

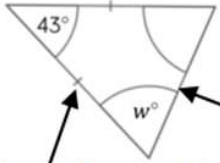
Read from  $0^\circ$  on the base line. Remember to use estimation. This is an obtuse angle so between  $90^\circ$  and  $180^\circ$

## Keywords

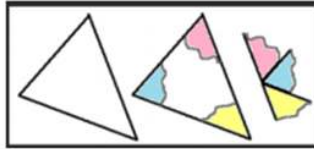
- Parallel:** Straight lines that never meet
- Angle:** The figure formed by two straight lines meeting (measured in degrees)
- Transversal:** A line that cuts across two or more other (normally parallel) lines
- Isosceles:** Two equal size lines and equal size angles (in a triangle or trapezium)
- Polygon:** A 2D shape made with straight lines
- Sum:** Addition (total of all the interior angles added together)
- Regular polygon:** All the sides have equal length; all the interior angles have equal size.

## Sum of angles in triangles

Sum of interior angles in a triangle =  $180^\circ$



The two base angles will be the same size



Look at triangle notation  
This indicates an isosceles triangle

$$\therefore 180 - 43 = 137$$

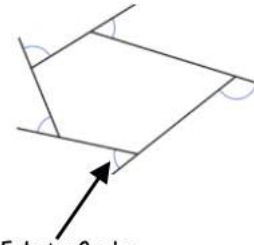
$$137 \div 2 = 68.5^\circ$$

A triangle can only have ONE right angle

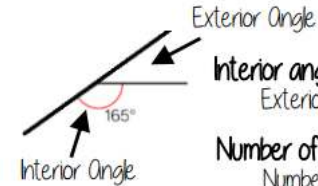
Have a go!  
Tearing the corners from triangles forms a straight line which is therefore  $180^\circ$

## Sum of exterior angles

Exterior angles all add up to  $360^\circ$



Using exterior angles



**Exterior Angles**  
Are the angle formed from the straight-line extension at the side of the shape

$$\text{Interior angle} + \text{Exterior angle} = \text{straight line} = 180^\circ$$

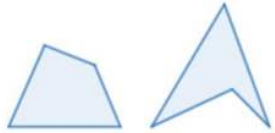
$$\text{Exterior angle} = 180 - 165 = 15^\circ$$

$$\text{Number of sides} = 360^\circ \div \text{exterior angle}$$

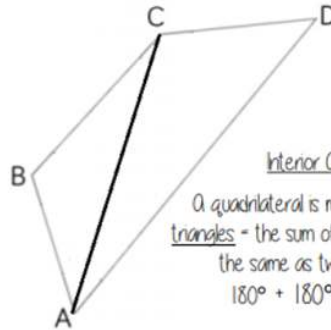
$$\text{Number of sides} = 360 \div 15 = 24 \text{ sides}$$

## Sum of angles in quadrilaterals

Sum of interior angles in a quadrilateral =  $360^\circ$



Convex Quadrilateral      Concave Quadrilateral



Interior Angles

A quadrilateral is made up of two triangles - the sum of interior angles is the same as two triangles:  
 $180^\circ + 180^\circ = 360^\circ$

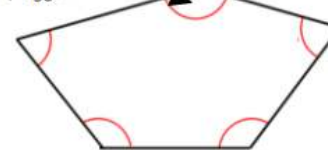
Interior angles are those that make up the perimeter (outline) of the shape

## Sum of interior angles

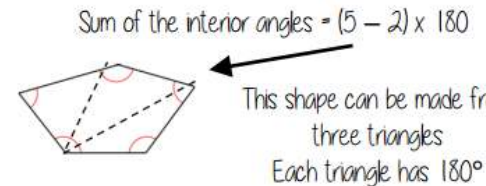
$(\text{number of sides} - 2) \times 180$

### Interior Angles

The angles enclosed by the polygon



This is an **irregular** polygon - the sides and angles are different sizes



Sum of the interior angles =  $(5 - 2) \times 180$   
This shape can be made from three triangles  
Each triangle has  $180^\circ$

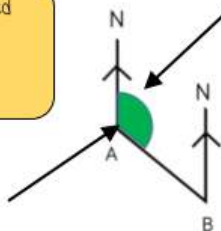
$$\text{Sum of the interior angles} = 3 \times 180 = 540^\circ$$

Remember this is **all** of the interior angles added together

## Understand and represent bearings

- A bearing is always measured from **NORTH**
- It is always given as three figures

The bearing of B from A is calculated by measuring the highlighted angle



The angle indicated starts from the North line at A and joins the path connecting A to B.

This angle shows the bearing of B from A

The sentence... "Bearing of \_\_\_ from \_\_\_" is really important in identifying the bearing being represented.

Using **estimation** it is clear this angle is between  $090^\circ$  and  $180^\circ$