

## What do I need to be able to do?

By the end of this unit you should be able to:

- Identify and represent sets
- Interpret and create Venn diagrams
- Understand and use the intersection of sets
- Understand and use the union of sets
- Generate sample spaces for single events
- Calculate the probability of a single event
- Understand and use the probability scale

## Keywords

- Set:** collection of things  
**Element:** each item in a set is called an element  
**Intersection:** the overlapping part of a Venn diagram (AND  $\cap$ )  
**Union:** two ellipses that join (OR  $\cup$ )  
**Mutually Exclusive:** events that do not occur at the same time  
**Probability:** likelihood of an event happening  
**Bias:** a built-in error that makes all values wrong (unequal) by a certain amount, e.g. a weighted dice  
**Fair:** there is zero bias, and all outcomes have an equal likelihood  
**Random:** something happens by chance and is unable to be predicted

## Identify and represent sets

The **universal set** has this symbol  $\xi$  – this means **EVERYTHING** in the Venn diagram is in this set

A set is a collection of things – you write sets inside curly brackets { }

$\xi = \{\text{the numbers between 1 and 50 inclusive}\}$

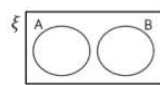
My sets can include every number between 1 and 50 including those numbers

$A = \{\text{Square numbers}\}$

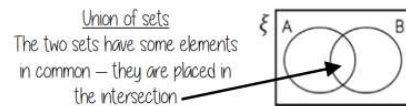
$A = \{1, 4, 9, 16, 25, 36, 49\}$

All the numbers in set  $A$  are square number and between 1 and 50

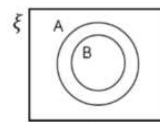
## Interpret and create Venn diagrams



**Mutually exclusive sets**  
The two sets have nothing in common  
No overlap



**Union of sets**  
The two sets have some elements in common – they are placed in the intersection



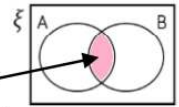
**Subset**  
All of set B is also in Set A so the ellipse fits inside the set

**The box**

Around the outside of every Venn diagram will be a box. If an element is not part of any set it is placed outside an ellipse but inside the box

## Intersection of sets

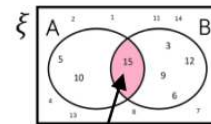
Elements in the intersection are in set  $A$  AND set  $B$



The notation for this is  $A \cap B$

$\xi = \{\text{the numbers between 1 and 15 inclusive}\}$

$A = \{\text{Multiples of 5}\}$     $B = \{\text{Multiples of 3}\}$



The element in  $A \cap B$  is 15

In this example there is only one number that is both a multiple of 3 and a multiple of 5 between 1 and 15

## Probability of a single event



Probability =  $\frac{\text{number of times event happens}}{\text{total number of possible outcomes}}$

$P(\text{Blue}) = \frac{4}{10}$  ← There are 4 blue sectors  
 ← There are 10 sectors overall  
 $= \frac{2}{5}$

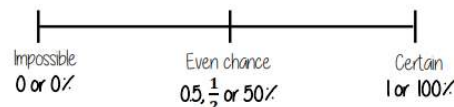
Probability notation  
 $P(\text{event})$

Probability can be a fraction, decimal or percentage value

$\frac{4}{10} = \frac{40}{100} = 0.40 = 40\%$

Probability is always a value between 0 and 1

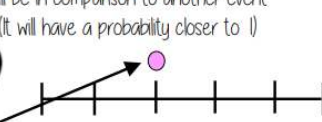
## The probability scale



The more likely an event the further up the probability it will be in comparison to another event



There are 2 pink and 2 yellow balls, so they have the same probability



There are 5 possible outcomes  
So 5 intervals on this scale, each interval value is  $\frac{1}{5}$

## Sum of probabilities

Probability is always a value between 0 and 1



The probability of getting a blue ball is  $\frac{1}{5}$   
 $\therefore$  The probability of **NOT** getting a blue ball is  $\frac{4}{5}$

The sum of the probabilities is 1

The table shows the probability of selecting a type of chocolate

Dark	Milk	White
0.15	0.35	

$P(\text{white chocolate}) = 1 - 0.15 - 0.35 = 0.5$

